IBIS Algorithms Revisited

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IBIS Summit Meeting
Design Automation Conference
Anaheim, California

June 5, 2003

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Previous Work

- Based on early prototype work
- Updated from hand-drawn foils given in June 1997 and presentation in Oct. 1998
- Presented at SPI 2003 in Siena, Italy

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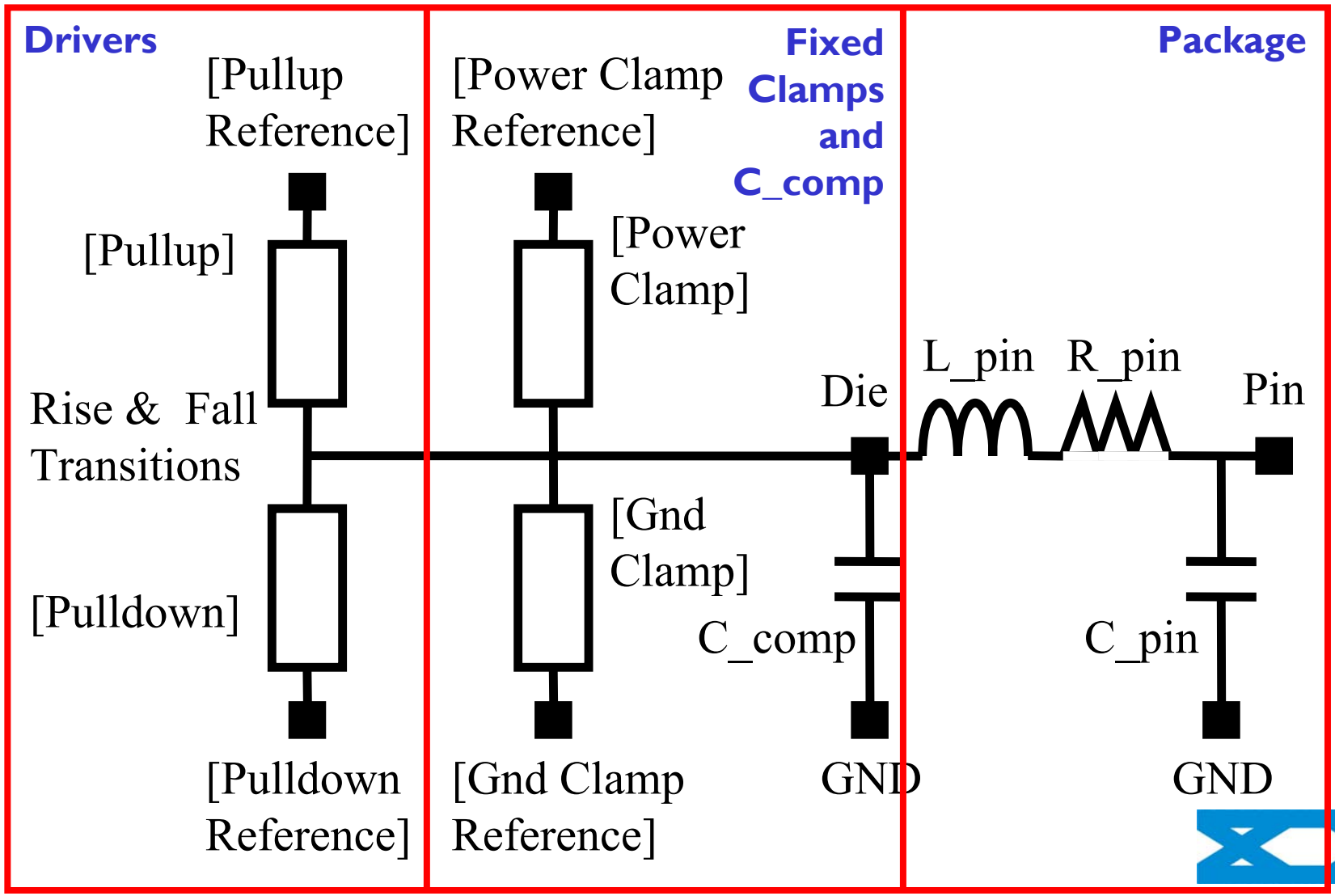
IBIS Algorithms

- IBIS data AND how processed
  - Older approaches give different solutions
  - Two-waveform algorithm gives good solutions
- Other algorithms
  - Multiple tables and dynamic interpolation
  - I/O Interface Model for Integrated Circuit (IMIC) for transistor multiple I-V and capacitance-V table interpolation
  - Radial based functions (RBF)

General IBIS Buffer Model



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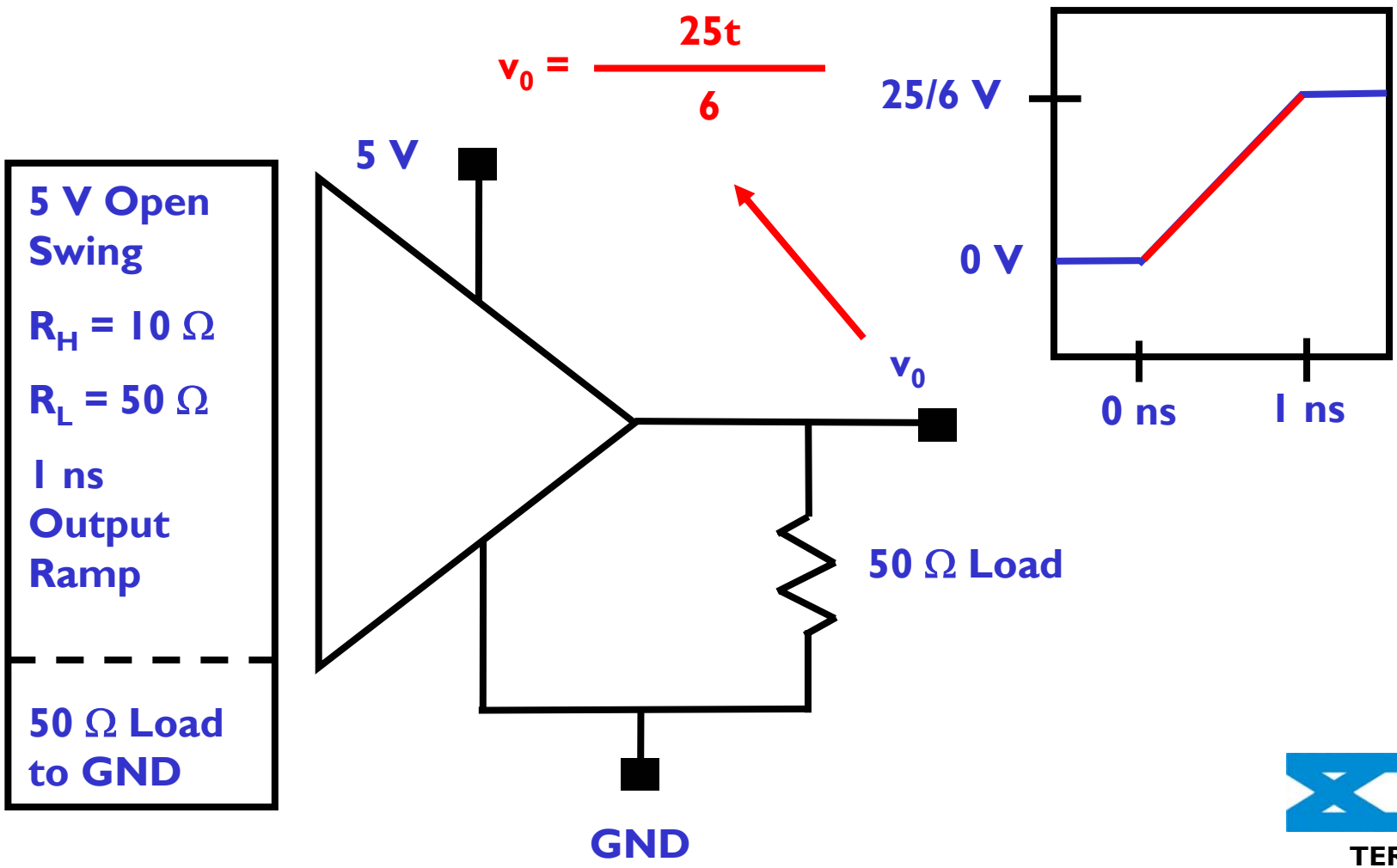
Example - Ideal CMOS Buffer



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Thevenin Linear Z Transitions

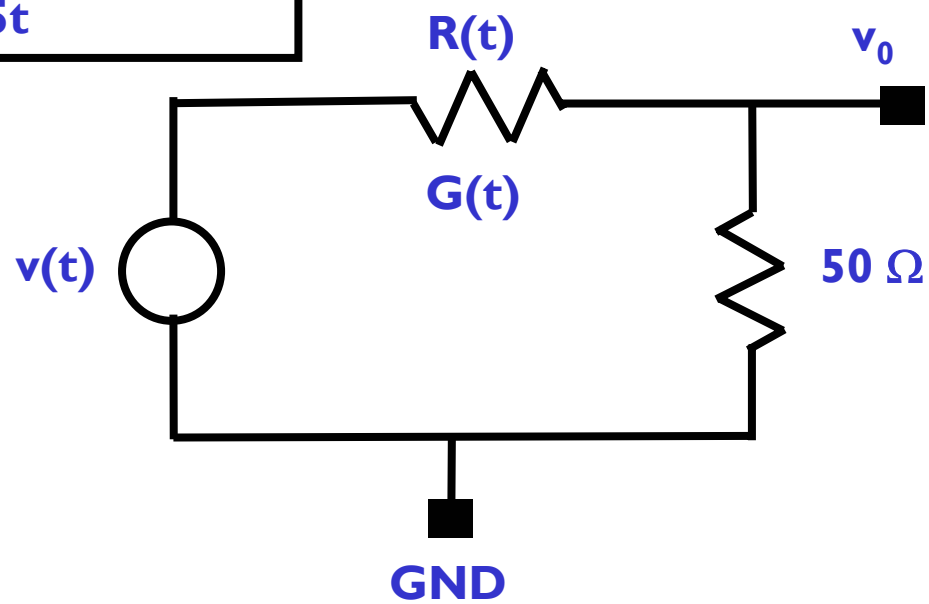
$$v_0 = \frac{25t}{10 - 4t}$$

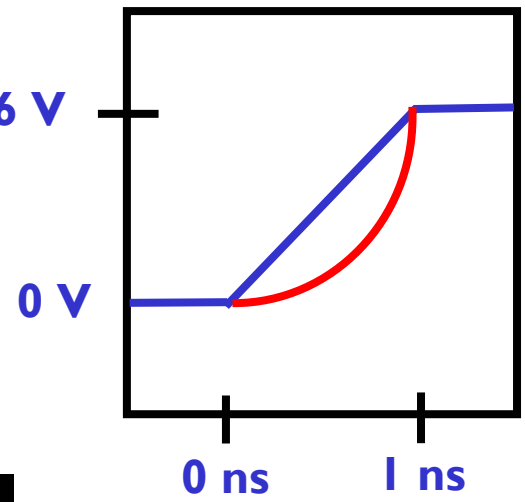
$$v_0 = \frac{5t + 20t^2}{2 + 4t}$$

R(t) = 50 - 40t

G(t) = 0.02 + 0.08t

v(t) = 5t





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Norton Linear Y Transitions

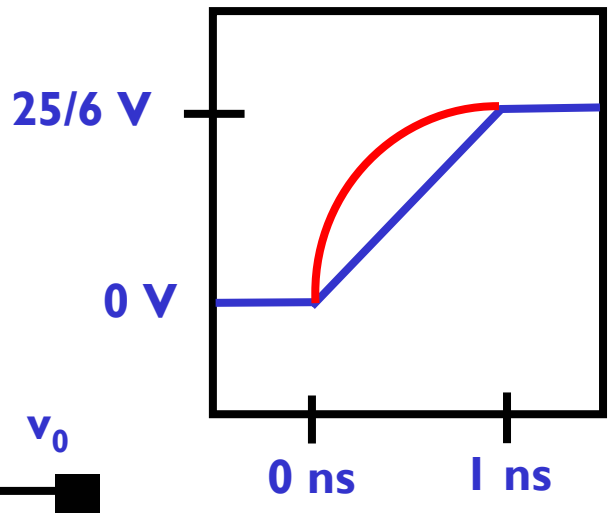
$$v_0 = \frac{125t - 100t^2}{10 - 4t}$$

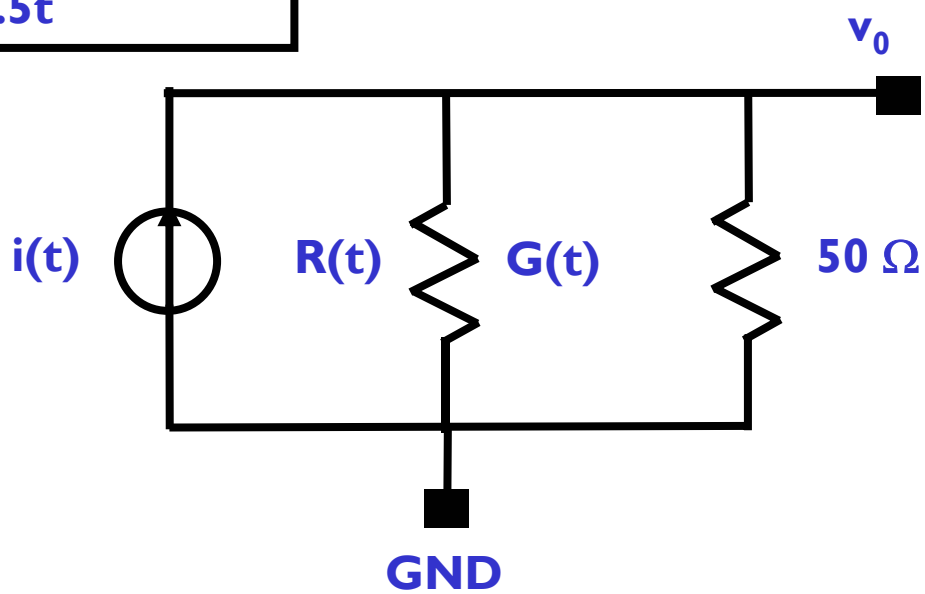
$$v_0 = \frac{25t}{2 + 4t}$$

R(t) = 50 - 40t

G(t) = 0.02 + 0.08t

i(t) = 0.5t





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IBIS Linear Table Multipliers

$$v_0 = \frac{25t}{2 + 4t}$$

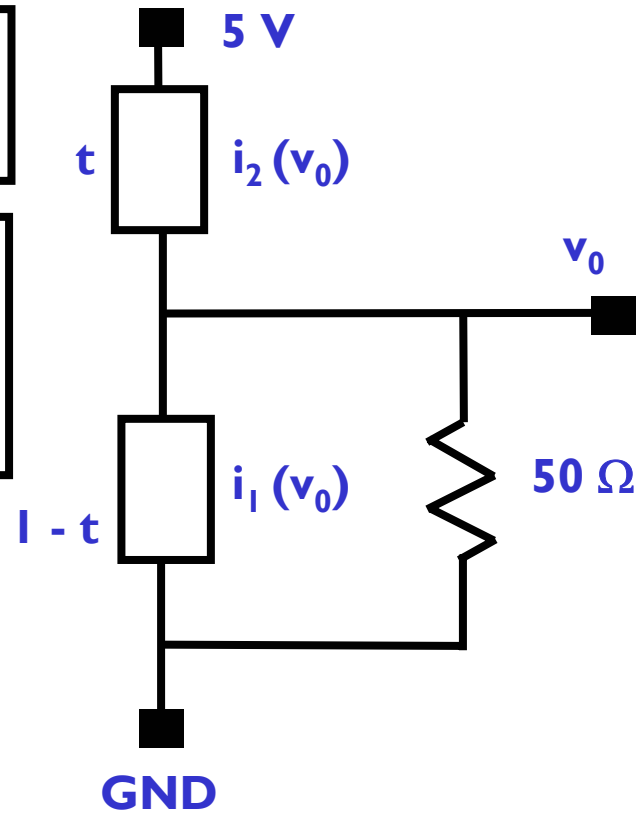
$i_2 = t\,(5 - v_0)\,/10$

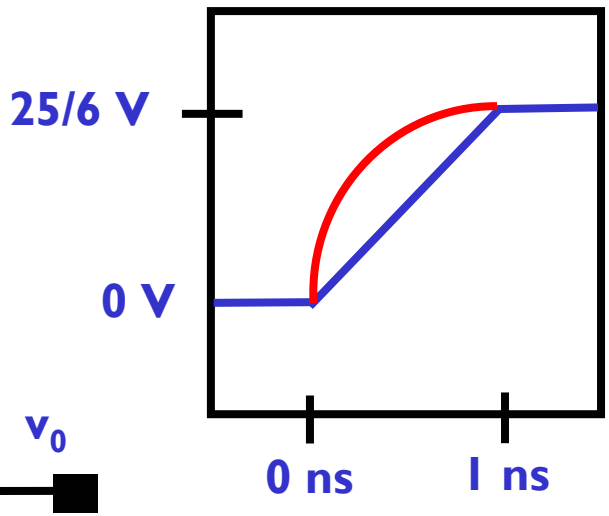
$i_1 = (1 - t)\,v_0\,/50$

Same as Norton:

$G(t) = 0.02 + 0.08t$

$i(t) = 0.5t$





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Dual IBIS Linear Table Multipliers

$$v_0 = \frac{25t}{10 - 4t}$$

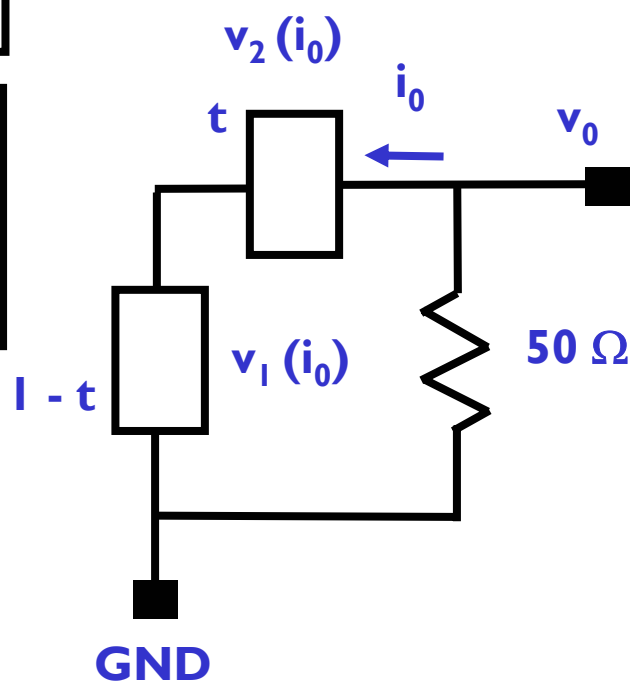
$v_2 = t\,(5 - i_0 10)$

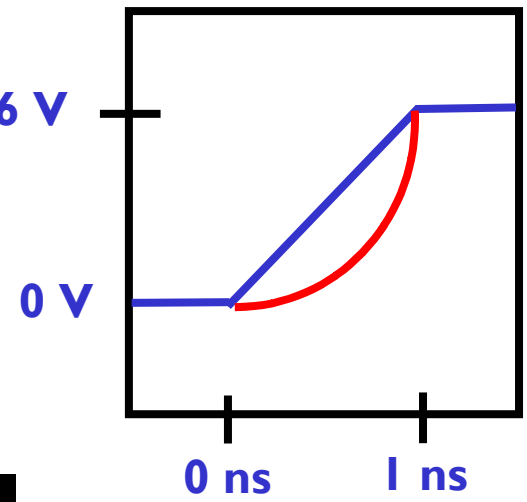
$v_1 = -\,(1 - t)\, i_0\, 50$

Same as Thevenin:

$R(t) = 50 - 40t$

$v(t) = 5t$





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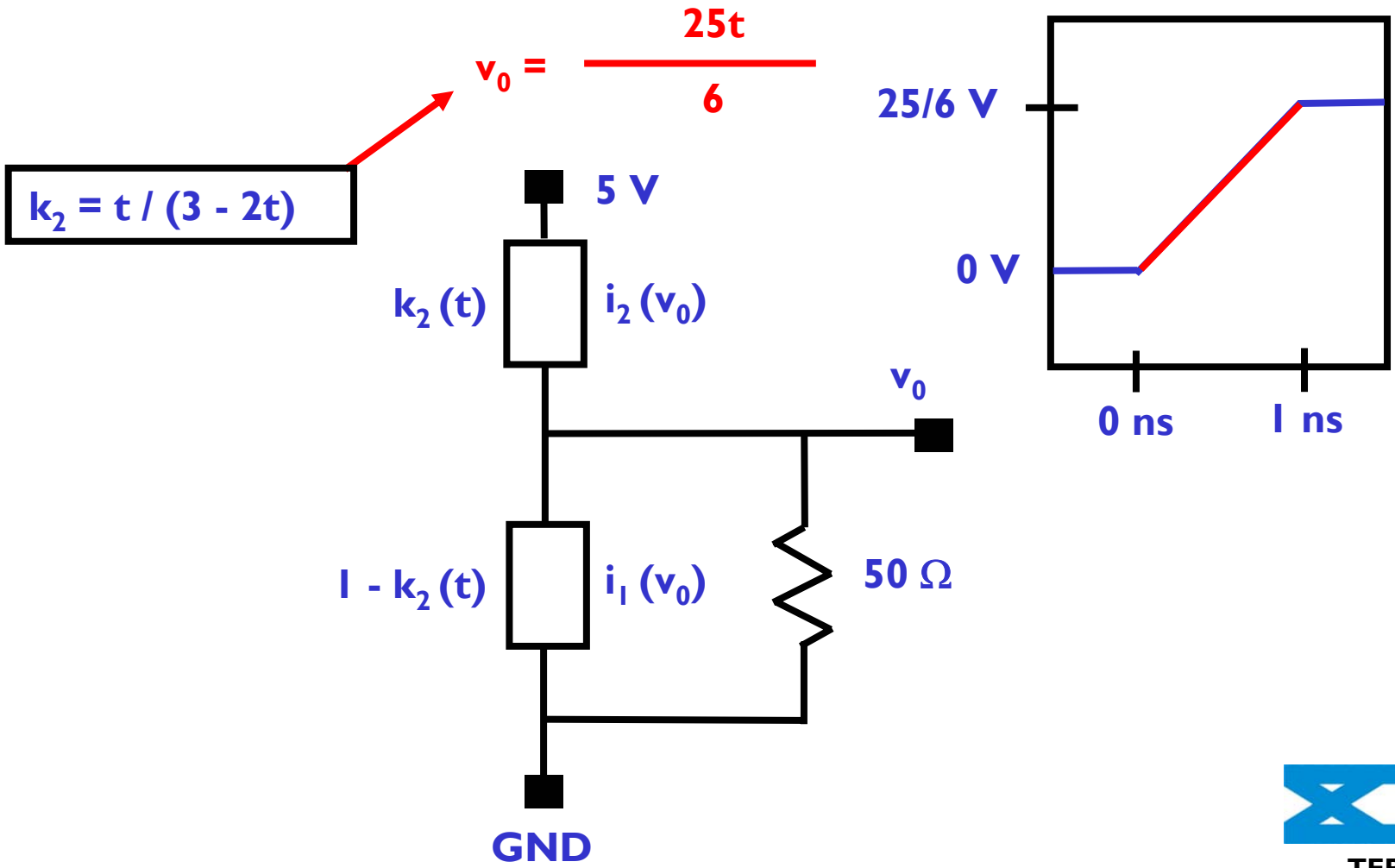
Dependent IBIS Table Multipliers



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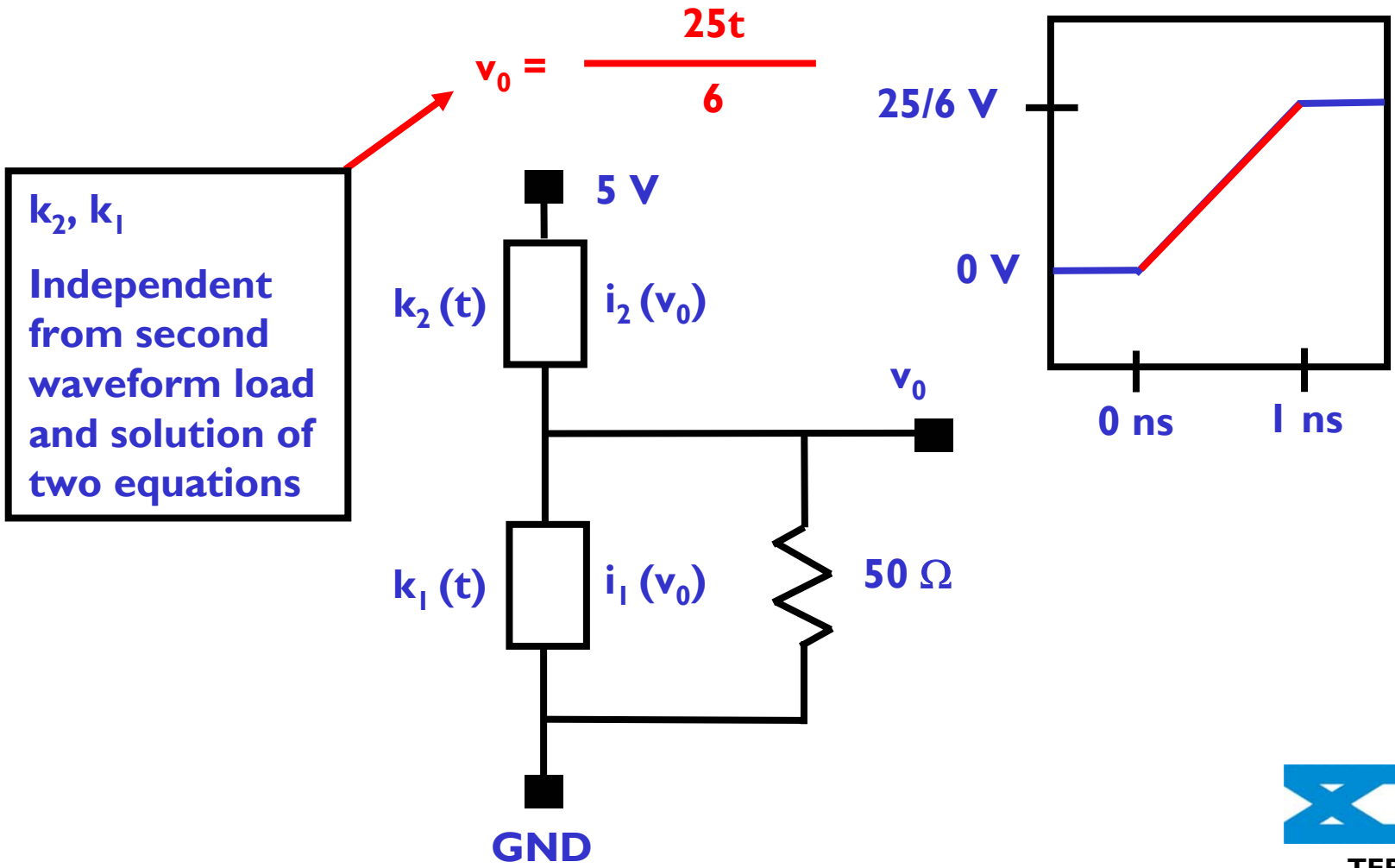
Independent IBIS Table Multipliers



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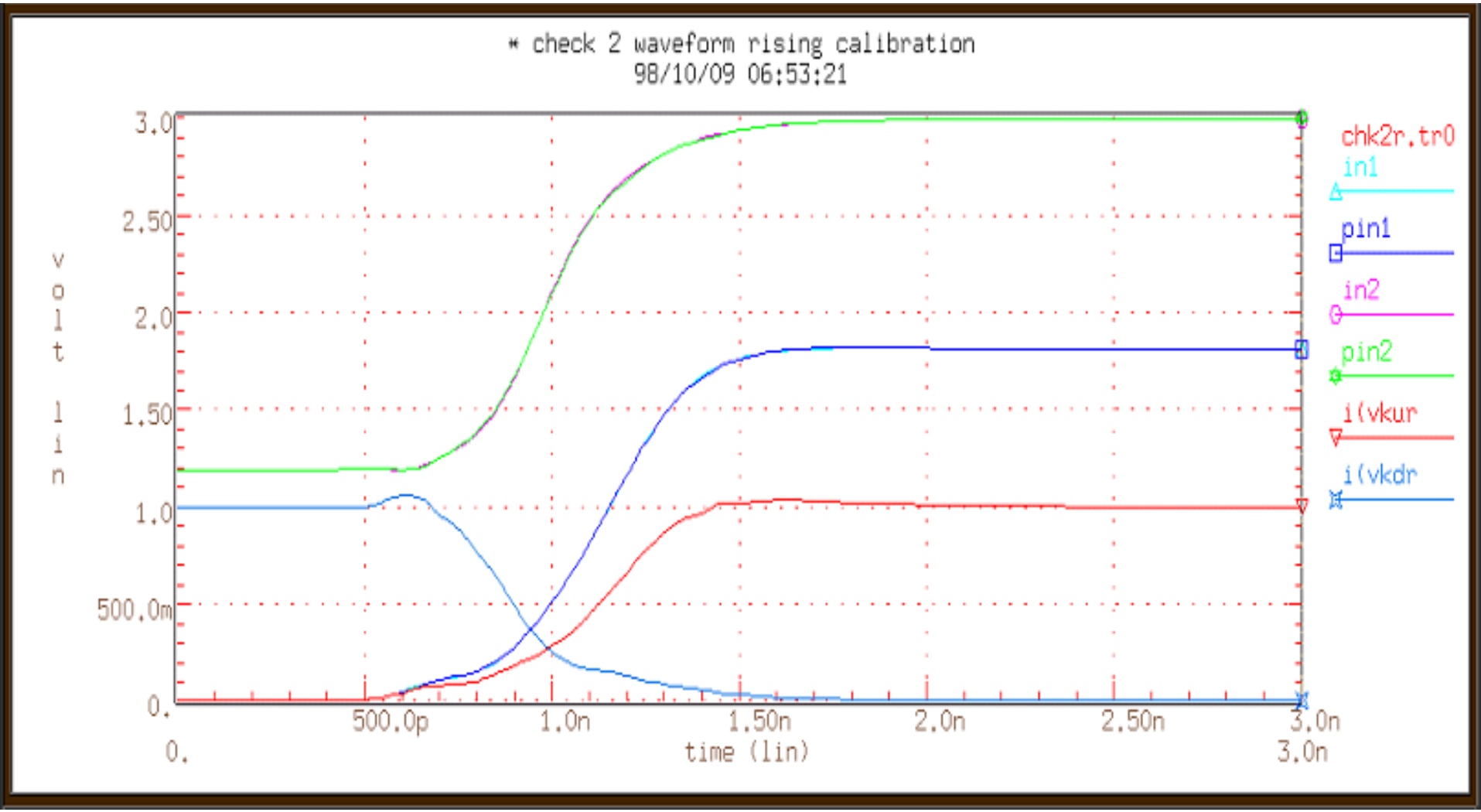
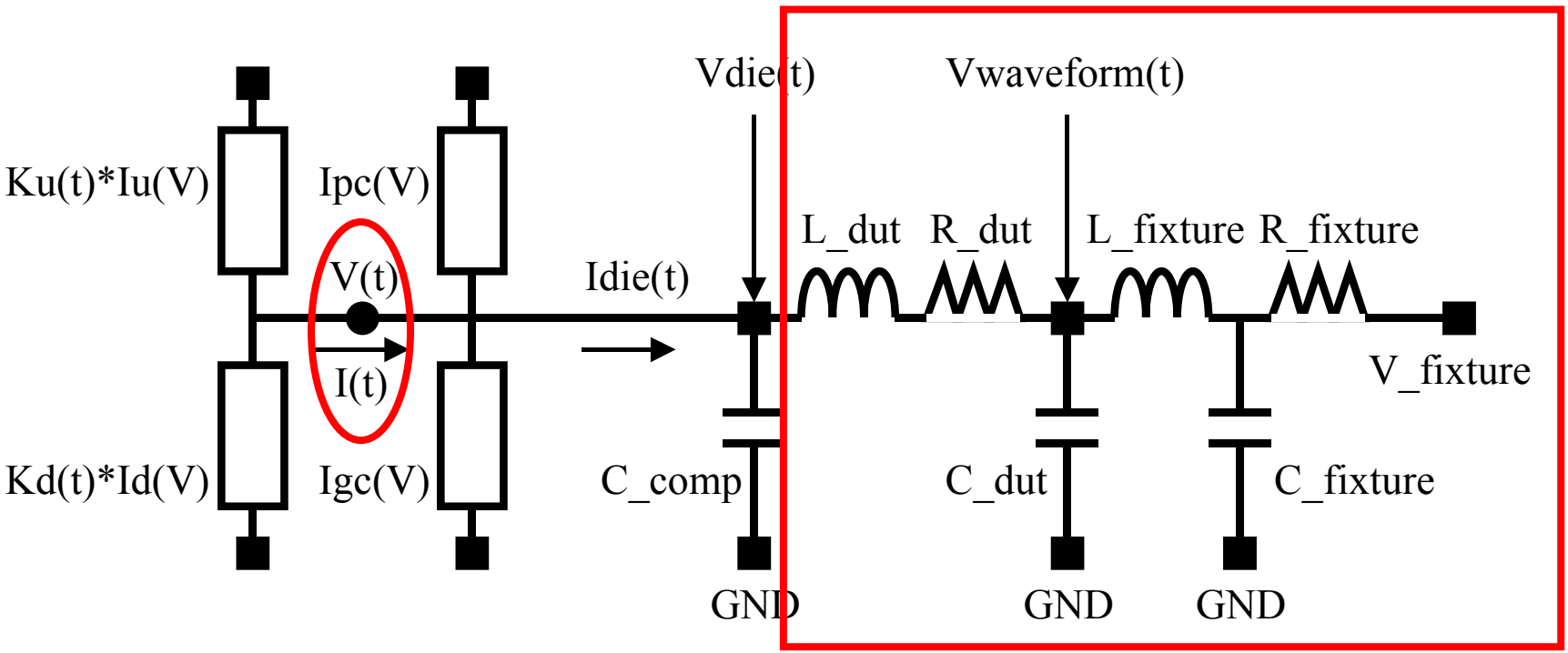
Actual Waveforms and Multipliers



Generalized Test Load



V(t) and I(t) can be calculated from load information

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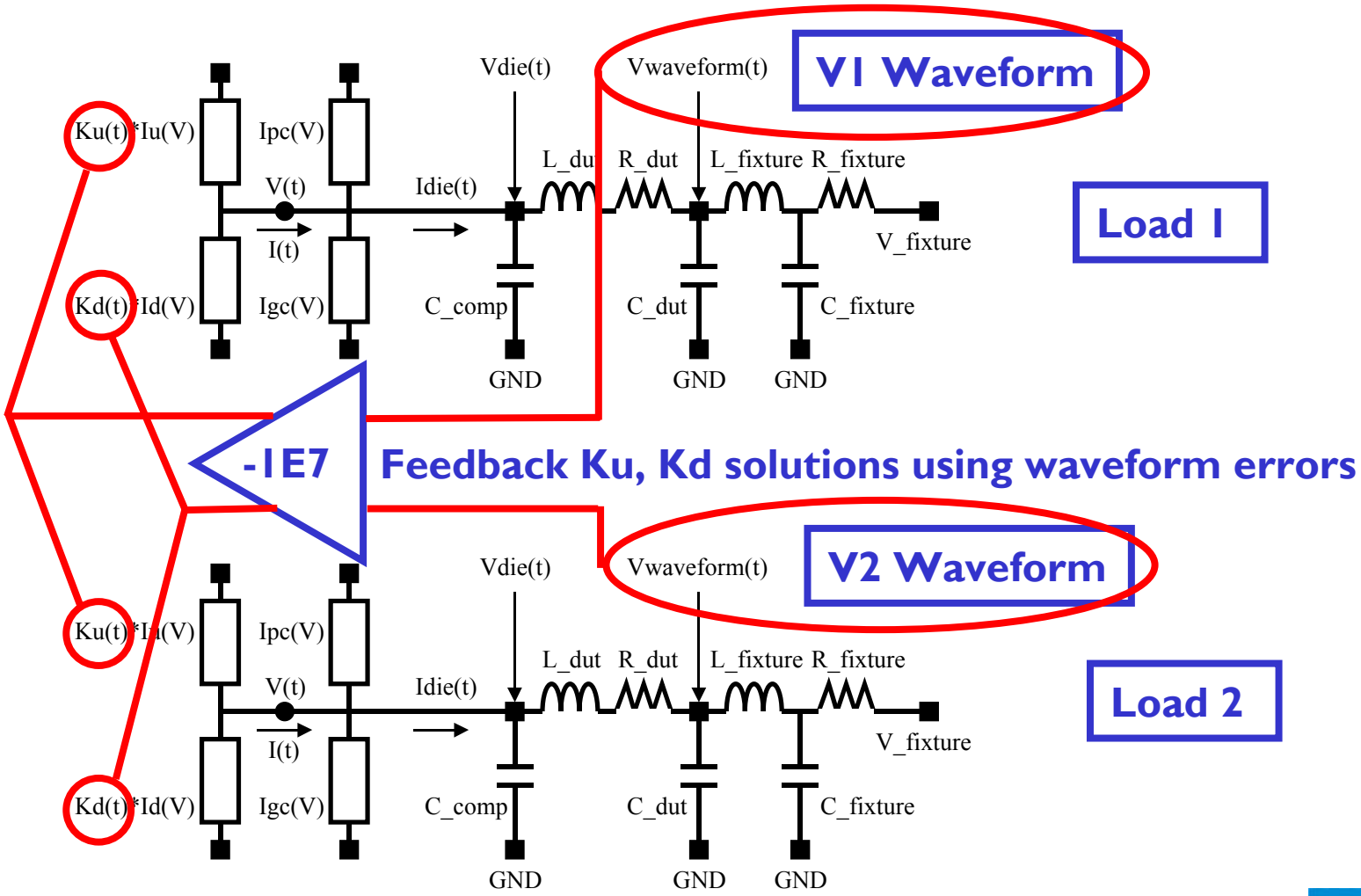
SPICE Prototype for Ku(t), Kd(t)



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Feedback SPICE Circuit For Two Non-linear/Table Equations

```
*
* FEEDBACK TABLE ADJUSTMENT ..............................  VVV
GDET    NDET  GND  CUR='(I(VDN2)*I(VUP1)-I(VDN1)*I(VUP2))/(1E7)'
VDET    NDET  GND  0
*
GKUR    NKU   GND
+ CUR='((V(IN2)-V(PIN2))*I(VDN1)-(V(IN1)-V(PIN1))*I(VDN2))/I(VDET)'
VKUR    NKU   GND  0
*
GKDR    NKD   GND
+ CUR='((V(IN1)-V(PIN1))*I(VUP2)-(V(IN2)-V(PIN2))*I(VUP1))/I(VDET)'
VKDR    NKD   GND  0
*
```

Kur

Kdr

- V1(t)/Z(t) = Ku(t)*Iu(V1(t)) + Kd(t)*Id(V1(t))
- V2(t)/Z(t) = Ku(t)*Iu(V2(t)) + Kd(t)*Id(V2(t))

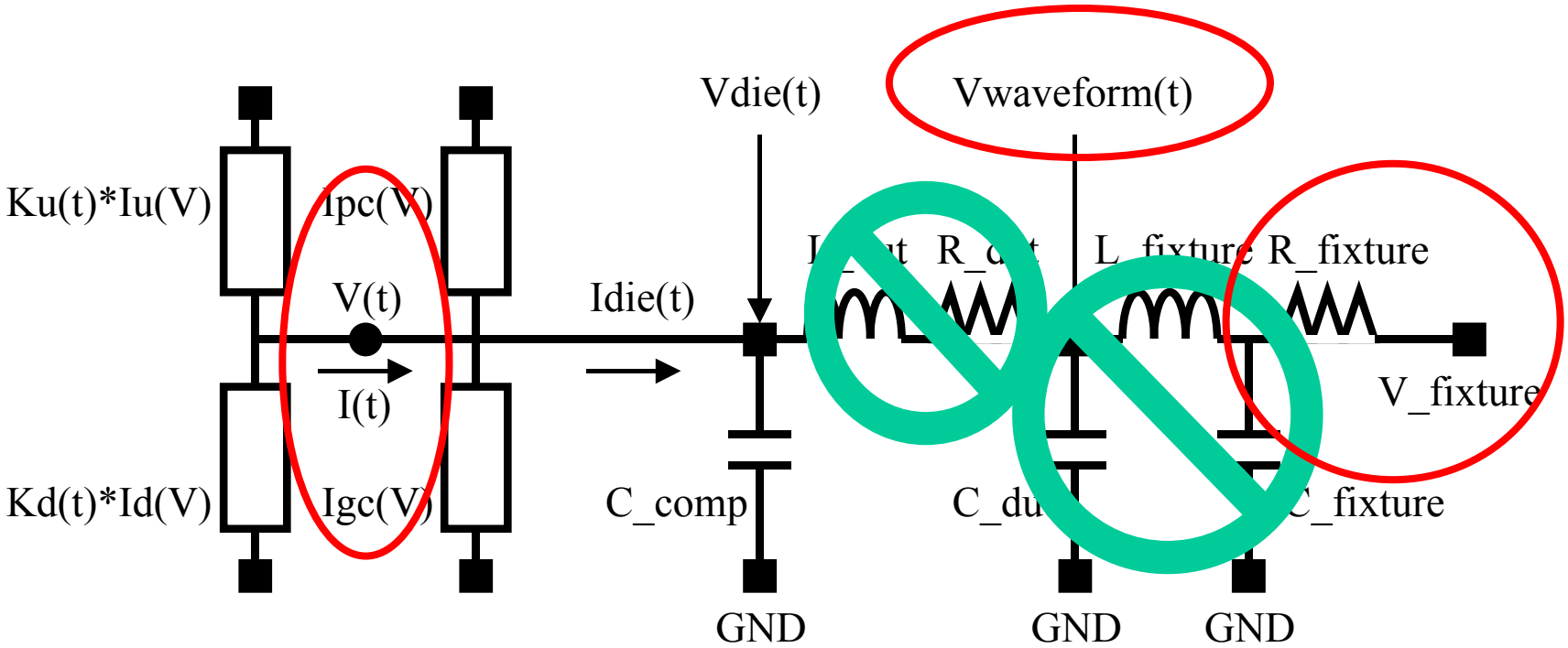
Part of SPICE Encoded IBIS Prototype

```
* HIGH SIDE
XUP     OUT1   VCC   NU1           PULLUP
VUP     NU1    VCC   0
GUP     OUT1   VCC   CUR='-I(VUP)*(I(VKUR)*I(VON)+I(VKUF)*(1-I(VON)))'
XPC     OUT1   VCC                 POWER_CLAMP
*
* LOW SIDE
XDN     OUT1   GRD   ND1           PULLDOWN
VDN     ND1    GRD   0
GDN     OUT1   GRD   CUR='-I(VDN)*(I(VKDR)*I(VON)+I(VKDF)*(1-I(VON)))'
XGC     OUT1   GNDC                GND_CLAMP
*
* C_COMP AND DUT PACKAGE
XCAP    OUT1   GRD                 C_COMP
XPKG    OUT1   GRD   PIN1          PACKAGE
*
* LOAD
TLOAD   PIN1   GRD   PIN9    GRD   Z0=50 TD=1N
RLOAD   PIN9   GND   50G
*
* VOLTAGE CONTROL (AMPLITUDE (0 TO 1), PULSE WIDTH & PERIOD)
VPULSE STEP   GRD   0   PULSE (1 0 0P 1P 1P 5N 10N)
```

Kur, Kdr

Kuf, Kdf

Recommended Test Load, Industrial usage



Recommended Loads:

50 Ω to Vcc

50 Ω to Gnd

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Problems and Limitations

- Ground, power currents a function of the model, may not be accurate
  - Gate modulation effects
  - Could be fixed with more tables or parameters
- Timing to internal buffer nodes
- Frequency dependent impedance models
- Delay timing errors with over-clocking - shown next

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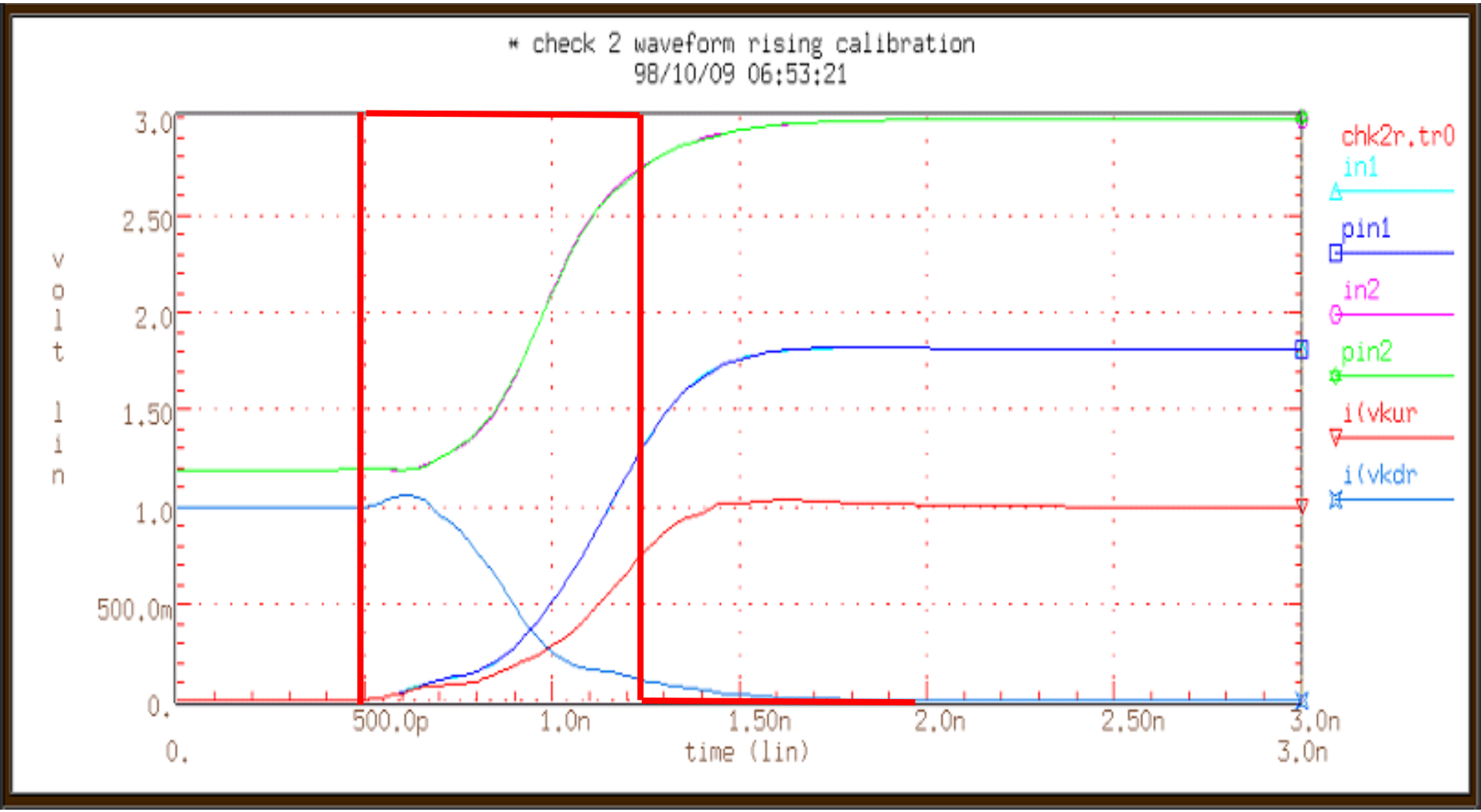
Over-clocking Problem with IBIS, No Simple Solution for Delays



Conclusions

- Well constructed IBIS models and good algorithms yield accurate results
- However, there are limitations